

Section 3.2 Extra Practice

- Use long division to divide $x^2 - x - 15$ by $x - 4$.
 - Express the result in the form $\frac{P(x)}{x-a} = Q(x) + \frac{R}{x-a}$.
 - Identify any restrictions on the variable.
 - Write the corresponding statement that can be used to check the division.
 - Verify your answer.
- Divide the polynomial $P(x) = x^4 - 3x^3 + 2x^2 + 55x - 11$ by $x + 3$.
 - Express the result in the form $\frac{P(x)}{x-a} = Q(x) + \frac{R}{x-a}$.
 - Identify any restrictions on the variable.
 - Verify your answer.
- Determine each quotient using long division.
 - $(3x^2 - 13x - 2) \div (x - 4)$
 - $\frac{2x^3 - 10x^2 - 15x - 20}{x + 5}$
 - $(2w^4 + 3w^3 - 5w^2 + 2w - 27) \div (w + 3)$
- Determine each remainder using long division.
 - $(3w^3 - 5w^2 + 2w - 27) \div (w - 5)$
 - $\frac{2x^3 - 8x^2 - 5x - 2}{x + 1}$
 - $(3x^2 - 13x - 2) \div (x + 2)$
- Determine each quotient using synthetic division.
 - $(4w^4 + 3w^3 - 7w^2 + 2w - 1) \div (w + 2)$
 - $\frac{x^4 + 2x^3 - 8x^2 - 5x - 2}{x - 2}$
 - $(5y^4 + 2y^2 - y + 4) \div (y + 1)$
- Determine each remainder using synthetic division.
 - $(3x^2 - 16x + 5) \div (x - 5)$
 - $(2x^4 - 3x^3 - 5x^2 + 6x - 1) \div (x + 3)$
 - $(4x^3 + 5x^2 - 7) \div (x - 2)$
- Use the remainder theorem to determine the remainder when each polynomial is divided by $x + 2$.
 - $-4x^4 - 3x^3 + 2x^2 - x + 5$
 - $7x^5 + 5x^4 + 23x^2 + 8$
 - $8x^3 - 1$
- Determine the remainder resulting from each division.
 - $(3x^3 - 4x^2 + 6x - 9) \div (x + 1)$
 - $(3x^2 - 8x + 4) \div (x - 2)$
 - $(6x^3 - 5x^2 - 7x + 9) \div (x + 5)$
- For $(2x^3 + 5x^2 - kx + 9) \div (x + 3)$, determine the value of k if the remainder is 6.
- When $4x^2 - 8x - 20$ is divided by $x + k$, the remainder is 12. Determine the value(s) of k .

