Chapter 1 Practice Test

Student Text Pages

56–57

Suggested Timing 45–75 min

Materials and Technology

- Tools
- grid paper
- graphing calculator

Related Resources

• BLM G-1 Grid Paper

- BLM 1-15 Chapter 1 Practice Test
- BLM 1-16 Chapter 1 Test
- BLM 1-17 Chapter 1 Practice Test Achievement Check Rubric

Summative Assessment 🗢

- BLM 1-15 Chapter 1 Practice Test provides a source for possible diagnostic assessment.
- After students have completed BLM 1-15 Chapter 1 Practice Test, you may wish to use BLM 1-16 Chapter 1 Test as a summative assessment.

Accommodations

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Motor–encourage the use of technology for graphing

Using the Practice Test

This practice test can be assigned as an in-class or take-home assignment. If it is used as an assessment, use the following guidelines to help you evaluate the students.

- Can students do each of the following?
- describe properties of functions
- identify functions in different forms
- write the domain and range of a function
- demonstrate an awareness of real-life factors that can affect domain and range
- describe properties of quadratic functions
- identify quadratic functions using first and/or second differences
- use a graphing calculator to find equations which model quadratic functions
- graph transformations, including stretches and translations, on the graph of the quadratic function $y = x^2$
- Question 16 is an Achievement Check question. Provide students with BLM 1–17 Chapter 1 Practice Test Achievement Check Rubric to help them understand what is expected.

Study Guide

Use the following study guide to direct students who have difficulty with specific questions to appropriate examples to review.

Question	Section(s)	Refer to		
1	1.1	Example (pages 10–11)		
2	1.2, 1.6	Example 1 (pages 18–19), Example (pages 49–50)		
3	1.6	Example (pages 49–50)		
4	1.4	Example 2 (page 36)		
5	1.6	Example (pages 49–50)		
6	1.1, 1.3	Example (pages 10–11), Example 2 (page 27)		
7	1.2, 1.4	Example 1 (pages 18–19), Example 1 (page 34–35)		
8	1.2	Example 2 (pages 19)		
9	1.5	Example (pages 43–44)		
10	1.6	Example (pages 49–50)		
11	1.6	Example (pages 49–50)		
12	1.6	Example (pages 49–50)		
13	1.2, 1.5	Example 1 (pages 18–19), Example (pages 43–44)		
14	1.1, 1.3, 1.6	Example (pages 10–11), Example 2 (page 27), Example (pages 49–50)		
15	1.4, 1.6	Example 2 (page 36), Example (pages 49–50)		
16	1.3, 1.6	Example 1 (page 26), Example (pages 49–50)		

Length (m)	Width (m)	Area (m²)	
90	5	450	7
		450	
80	10	800	
70	15	1050	
60	20	1200]
50	25	1250	
40	30	1200	
30	35	1050	1
20	40	800	
10	45	450	
The width <i>w</i> w $w = \frac{200 - 2x}{4}$ $= 50 - 0.5x.$ The area <i>A</i> will domain: { $x \in \mathbf{F}$ range: { $A \in \mathbf{R}$ The maximum The vertex is a Since $a = -0.5$ (40, 1200) and	l be: $A = x(50 - = -0.5x^2)$ k 0 < x < 100}; 0 < A ≤ 1250} area occurs when t (50, 1250). 5, the equation is (60, 1200). Subs	0.5x) + 50x en the length is s of the form y titute into the	550 m and the = $-0.5(x - h)$
1200 = -0.5(4) Solve for h: (40 - h) 1600 - 80h + 1600 - 80 40	$(0 - h)^2 + k$ and $(a)^2 = (60 - h)^2$ $h^2 = 3600 - 120$ (b)h = 3600 - 120 (b)h = 2000	1200 = -0.5(6) So $h + h^2$ h	$(0^{-} h)^{2} + k^{0}$ plve for k: $(200 = -0.5(40)^{0})^{0}$ $(200 = -50k)^{0}$ $k = 1250^{0}$
The equation i QuadRe9 9=ax2+b a=5 b=50 c=0 R ² =1	h = 50 s y = -0.5(x - 5 ox+c	0) ² + 1250.	
	Let x represent The width w w $w = \frac{200 - 2x}{4}$ = 50 - 0.5x. The area A will domain: { $x \in \mathbf{H}$ range: { $A \in \mathbf{R}$ The maximum The vertex is a Since $a = -0.5$ (40, 1200) and 1200 = -0.5(4) Solve for h: (40 - h) 1600 - 80h + 1600 - 80h + 1600 - 80h + 1600 - 80C 40 The equation i QuadReg $y=a \times 2+b$ a=-5 b=50 c=0 $\mathbb{R}^2=1$	Let x represent the length, in m The width w will be: $w = \frac{200 - 2x}{4}$ = 50 - 0.5x. The area A will be: $A = x(50 - (-0.5x^2)^2)^2$ domain: $\{x \in \mathbf{R} \mid 0 < x < 100\}$; range: $\{A \in \mathbf{R} \mid 0 < A \le 1250\}$ The maximum area occurs when The vertex is at (50, 1250). Since $a = -0.5$, the equation is (40, 1200) and (60, 1200). Substitutes (40, -h) ² = (60, -h) ² 1600 - 80h + h ² = 3600 - 1200 h = 50 The equation is $y = -0.5(x - 5)$ b = 50 c = 0 R2 = 1	Let x represent the length, in metres. The width w will be: $w = \frac{200 - 2x}{4}$ = 50 - 0.5x. The area A will be: $A = x(50 - 0.5x)$ $= -0.5x^2 + 50x$ domain: $\{x \in \mathbf{R} \mid 0 < x < 100\}$; range: $\{A \in \mathbf{R} \mid 0 < A \le 1250\}$ The maximum area occurs when the length is The vertex is at (50, 1250). Since $a = -0.5$, the equation is of the form y = (40, 1200) and (60, 1200). Substitute into the 1200 = -0.5(40 - h)^2 + k and 1200 = -0.5(60). Solve for h: $(40 - h)^2 = (60 - h)^2$ 1600 - 80h + h ² = 3600 - 120h + h ² 1600 - 80h = 3600 - 120h + h ² 1600 - 80h = 3600 - 120h + h ² 1600 - 80h = 3600 - 120h + h ² 1600 - 80h = 3600 - 120h + h ² 1600 - 80h = 3600 - 120h + h ² 1600 - 80h = 3600 - 120h + h ² 1600 - 80h = 3600 - 120h + h ² 1600 - 80h = 3600 - 120h + h ² 1600 - 80h = 3600 - 120h + h ² 1600 - 80h = 3600 - 120h + h ² 1600 - 80h = 3600 - 120h + h ² 1600 - 80h = 3600 - 120h + h ² 1600 - 80h = 3600 - 120h + h ² 1600 - 80h = 3600 - 120h + h ² 1600 - 80h = 3600 - 120h + h ² 1600 - 80h = 3600 - 120h + h ² 1600 - 80h = 3600 - 120h + h ² 1600 - 80h = 3600 - 120h + h ² 1600 - 80h = 3600 - 120h + h ² 1600 - 80h = 3600 - 120h + h ² 1600 - 80h = 3600 - 120h + h ² 1600 - 80h = 3600 - 120h + h ² 1600 - 80h = 3600 - 120h + h ² 1600 - 80h = 3600 - 120h + h ² 1600 - 80h = 3600 - 120h + h ² 1600 - 80h = 3600 - 120h + h ² 1600 - 80h = 3600 - 120h + h ² 1600 - 80h = 3600 - 120h + h ² 1600 - 80h = 3600 - 120h + h ² 1600 - 80h = 3600 - 120h + h ² 1600 - 80h = 3600 - 120h + h ² 1600 - 80h = 3600 - 120h + h ² 1600 - 80h = 3600 - 120h + h ² 1600 - 80h = 3600 - 120h + h ² 1600 - 80h = 3600 - 120h + h ² 1600 - 80h = 3600 - 120h + h ² 1600 - 80h = 3600 - 120h + h ² 1600 - 80h + h ² = 1