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1.3 Roll the Bones

Focus: theoretical probability, experimental probability, number sense

Warm Up	
1. Write 3 equivalent fraction for $\frac{1}{4}$.	2. Write each fraction as a decimal.
	$\frac{1}{4} = \frac{1}{5} =$
3. Write each fraction in lowe terms. $\frac{4}{12} = \frac{6}{18} =$	est 4. There are 15 students in a class. Five are girls. Write the fraction of the class that is girls in lowest terms.
5. The bar graph shows attendance at a movie theatre for 1 week.	Movie Attendance
 a) How many people saw the movie on Wednese 	day? 🗳 250 -
b) How many people saw the movie on Friday?	
c) How many people saw the movie last week?	جن ^۲ ہ ^م ^۲ ہوئی ہوئی ج ¹

Rolling Dice

- **1.** Suppose you roll 2 dice.
 - a) What is the smallest total you can get?
 - b) What is the greatest total you can get?
 - c) How many different totals are possible?
 - d) If you roll a pair of dice 50 times, predict the number of times that the total will be 7.



Chapter **1** **2. a)** Roll 2 dice *exactly* 50 times. Add the 2 numbers showing. Record the number of times each total occurs.

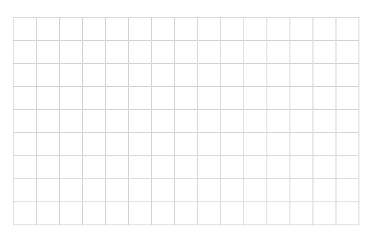
Sum of the Dice	Tally	Total Times Rolled
2		
3		
4		
5		
6		
7		
8		
9		
10		
11		
12		



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- **b)** Create a bar graph showing your results.
 - Include a title.
 - Title the *y*-axis, Total.
 - Title the *x*-axis, Sum of the Dice.
 - Choose an appropriate scale for the *y*-axis.

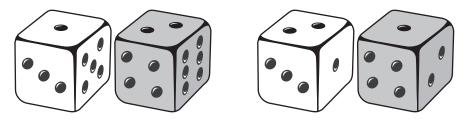


c) Did you roll each of the sums an equal number

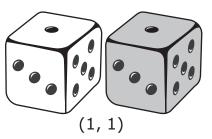
of times? YES _____ NO ____

d) Suggest some reasons for your answer.

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- There is only 1 way to roll a 2 with 2 dice. You need a 1 on each die.
- There are 2 ways to roll a 3. You can have a 1 on the first die and a 2 on the other. Or, you can have a 2 on the first die and a 1 on the other.



3. a) Determine all the possible combinations for rolling 2 dice. Example:



Sum of the Dice	Possible Combinations	Number of Combinations
2	(1, 1)	1
3	(1, 2) (,)	2
4		
5		
6		
7		
8		
9		
10		
11		
12		
	Total Number of Combinations	



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- **b)** Create a bar graph showing the Sum of the Dice versus Number of Combinations.
 - Include a title.
 - Title the *y*-axis, Number of Combinations.
 - Title the *x*-axis, Sum of the Dice.
 - Choose an appropriate scale for the *y*-axis.

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- c) Which sum has the highest theoretical probability of being rolled?
- d) Does your answer to part c) match your experimental results? YES _____ NO ____
- e) Why do you think this is the case?

4. When you roll 2 dice, list all of the combinations that make a sum of 7 or greater.

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- **5. a)** Complete the table.
 - Write the fractions in lowest terms.
 - Round each percent to the nearest whole number.

	Sum of the Dice	Number of Combinations	Fraction of the Total Number of Combinations	Percent of the Total Number of Combinations
	2	1	$\frac{1}{36}$	2.777 = 3%
1	3	2		
	4			
	5			
	6			
	7			
	8			
	9			
	10			
	11			
	12			
	Total			

- **b)** List the pairs of sums that have the same theoretical probability of occurring.
- **c)** The likelihood of rolling a total of 3 with 2 dice is the same as the *total* of the likelihood of rolling 2 other combinations. What are those 2 combinations?

and

d) As a percent, what is the chance of rolling 2 dice and obtaining a total of 7 or greater? _____

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Tech Tip: Suppose that you made 5 rolls. You rolled 2 twice. Use your calculator

to show $\frac{2}{5}$ as a percent. If your calculator has a % key, enter $2(\div)5\%2$ is

40% of 5.

6. a) Add all of the class's results from #2a) and record the data in the appropriate row of the tally column. Calculate the percent of the total for each sum.

Sum of the Dice	Class Tally	Percent of Total
2		
3		
4		
5		
6		
7		
8		
9		
10		
11		
12		
	Total For Class Results	

- **b)** Graph the results.
 - Include a title.
 - Title the *y*-axis, Percent of Total.
 - Title the *x*-axis, Sum of the Dice.



✓ Check Your Understanding

1. Which graph is closer in shape to the graph in #3?

The graph in #2 or the graph in #6?

2. Why do you think this is so?

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