Wrap It Up!

WRAP IT UPI Plan an international meal that will serve 10 people. Include at least one dish from each of the following categories: a soup, salad, or appetizer a an in course a dessert Create your meal plan. and uses colours or measurements to show each of the following ratios: 4.3 General your three recines. Bedde each recine, write the amount of each ingredient WWW Web Link.

- b) Record your three recipes. Beside each recipe, write the amount of each ingredien you need to serve 10 people.
- c) Justify your calculations for one recipe in part b).
- d) Calculate the total cost of serving one of your dishes to your guests. Show your work

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Suggested Timing

80–100 minutes

Materials

- access to recipes in print material and/or on the Internet
- recipe from section 2.3 Math Link
- ruler
- logo design from section 2.1 Math Link
- grid paper (optional)
- art materials to make invitations (including coloured pencils or markers)

Blackline Masters

Master 1 Project Rubric Master 8 Centimetre Grid Paper BLM 2–1 Chapter 2 Math Link Introduction BLM 2–6 Section 2.1 Math Link BLM 2–9 Section 2.2 Math Link BLM 2–11 Section 2.3 Math Link BLM 2–13 Chapter 2 Wrap It Up!

Specific Outcomes

N4 Demonstrate an understanding of ratio and rate.N5 Solve problems that involve rates, ratios and proportional reasoning.

Planning Notes

Practice Test • MHR

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Introduce the problem and clarify the assessment criteria. Make the chapter problem as realistic as possible by having students plan an international meal. Ensure that students research recipes and calculate the cost of ingredients. Consider giving students the option of presenting their project in a four-page foldable using the following format:

Cover	Recipe #1	Recipe #2	Recipe #3
Invitation			
(including			
logo design)			

If there is time, have them bring prepared recipes to school and serve an international meal for students and teachers. If so, have students consider any allergies or food sensitivities among their classmates and teachers in their menu planning.

Meeting Student Needs

- You may wish to allow students who have an interest in trades to design, calculate the cost of materials for, and build a scale model of a building project, such as a shed or deck, as an alternative Wrap It Up! problem.
- Consider allowing students to use spreadsheet software to help them complete the Wrap It Up!

ELL

• Consider having English language learners use their first language for the invitation and the recipes. After doing so, students might find it easier to express their work in English. You might display all of the invitations and recipes on a classroom wall.

Gifted and Enrichment

• Challenge students to calculate the cost of one of the dishes per guest or break down the cost of the entire meal per guest.



For information about an alternative activity requiring students to plan pizza for a family reunion, go to www.mathlinks8.ca and follow the links.

Assessment	Supporting Learning
Assessment of Learning	
Wrap It Up! This chapter problem wrap-up gives students an opportunity to apply and display their knowledge of ratios and rates. It provides a real-life example of using proportional reasoning. Master 1 Project Rubric provides a holistic descriptor that will assist you in assessing student work on this Wrap It Up! Page 88 in this TR provides notes on how to use the rubric for this Wrap It Up!	 Provide or have students bring in recipe books from various cultures. Alternatively, consider allowing students to use the Internet to research recipes. It is important that students complete the Math Links in sections 2.1 and 2.3, as they will need to include their work on these Math Links as part of the chapter problem. If students have not completed the Math Links earlier, you may wish to provide them with BLM 2–1 Chapter 2 Math Link Introduction, BLM 2–6 Section 2.1 Math Link, BLM 2–9 Section 2.2 Math Link, and BLM 2–11 Section 2.3 Math Link. You may wish to have students use BLM 2–13 Chapter 2 Wrap It Up!, which provides scaffolding for the chapter problem wrap-up.

The chart below shows the **Master 1 Project Rubric** for tasks such as the Wrap It Up! and provides notes that specify how to identify the level of specific answers for the project.

Score/Level	Holistic Descriptor	Specific Question Notes
5 (Standard of Excellence)	 Applies/develops thorough strategies and mathematical processes making significant comparisons/connections that demonstrate a comprehensive understanding of how to develop a complete solution Procedures are efficient and effective and may contain a minor mathematical error that does not affect understanding Uses significant mathematical language to explain their understanding and provides in-depth support for their conclusion 	• provides a complete and correct solution with possibly a minor calculation error that does not affect understanding of the problem
4 (Above Acceptable)	 Applies/develops thorough strategies and mathematical processes for making reasonable comparisons/connections that demonstrate a clear understanding Procedures are reasonable and may contain a minor mathematical error that may hinder the understanding in one part of a complete solution Uses appropriate mathematical language to explain their understanding and provides clear support for their conclusion 	 provides a complete response with weak communication or missing justification <i>or</i> provides a complete response with one recipe missing <i>or</i> provides a complete response with an error in calculation or area or one incorrect ratio for part a)
3 (Meets Acceptable)	 Applies/develops relevant strategies and mathematical processes making some comparisons/ connections that demonstrate a basic understanding Procedures are basic and may contain a major error or omission Uses common language to explain their understanding and provides minimal support for their conclusion 	 correctly completes parts a) and b) with justification of one of the recipes and at most two minor calculation errors <i>or</i> correctly completes parts b) and c) <i>or</i> correctly completes parts a), b) and c) for one recipe <i>or</i> provides a correct response to parts a) and c) based on an incorrect part b)
2 (Below Acceptable)	 Applies/develops some relevant mathematical processes making minimal comparisons/ connections that lead to a partial solution Procedures are basic and may contain several major mathematical errors Communication is weak 	 correctly completes part a) with correct proportions but for an incorrect area <i>or</i> correctly completes part b) with no justification and possibly no more than three calculation errors <i>or</i> provides a correct response to part c) based on an incorrect part b)
1 (Beginning)	 Applies/develops an initial start that may be partially correct or could have led to a correct solution Communication is weak or absent 	• makes an initial start to part a) or part b)

Math Games

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Suggested Timing

30 minutes

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Materials

- three dice per pair of students
- calculator

Specific Outcomes

N4 Demonstrate an understanding of ratio and rate.

Planning Notes

In this game, students record ratios of least value to the sum of rolled values, then use a calculator to convert the ratios to decimal form. Before having students play the game, you may wish to read the directions with the class and play a demonstration round.

Meeting Student Needs

Gifted and Enrichment

• You may wish to have students use the ratio of the least value to the highest value, or the ratio of the highest value to the sum of the rolled values. You might also alter the winning value from 2.5 to another value.

Common Errors

- Students may add the rolled values or the decimal equivalents incorrectly.
- $\mathbf{R}_{\mathbf{x}}$ Have students check each others' calculations.

Rolling Ratios	Materials
 Play Rolling Ratios with a partner. These are the rules: Each player rolls one die to decide who will play first. If there is a tic, roll again. In one round, each partner takes a turn. For each turn, roll all three dice. Record the ratio of the least value to the sum of the rolled values, in fraction form. 	three dice per pair of students calculator per student
• Express the fraction as a decimal. If necessary, use o	$S_{2} = 0.18, to the next hundred th.$
 Add the decimals from your turns. The first player to reach 2.5 or higher wins. If both players reach 2.5 in the same round, the player with the higher total wins. If the totals are tied, the players continue playing until one of them pulls ahead. Modify the rules of the game. For example, change the number of dice or choose a different ratio. Play your 	

Assessment	Supporting Learning	
Assessment for Learning		
Rolling Ratios Have students play the game with a partner.	Encourage students to use a table to record their ratios in fraction and decimal form.For #2, suggest students modify one rule at a time.	

Challenge in Real Life

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Suggested Timing 40–50 minutes

Materials

- map of Northwest Territories
- 30-cm ruler
- compass
- calculator

Blackline Masters

Master 1 Project Rubric BLM 2–14 Map of the Northwest Territories

Mathematical Processes

- Communication (C)
- ✓ Connections (CN)
- Mental Mathematics and Estimation (ME)
- Problem Solving (PS)
- ✓ Reasoning (R)
- Technology (T)
- ✓ Visualization (V)

Specific Outcomes

N4 Demonstrate an understanding of ratio and rate.N5 Solve problems that involve rates, ratios and proportional reasoning.

Planning Notes

You may wish to use the following steps to introduce and complete this challenge:

- Read through Life of a Bush Pilot as a class. Encourage students to share what they know about what bush pilots do and where they work. Students may say that bush pilots fly people, cargo, and medical supplies to remote settings, or fly people to fishing or hunting sites inaccessible to cars or trucks. You may need to explain the term *flight plan*.
- 2. Have students calculate the distances and time for the pilot's flight plan using the map on BLM 2–14 Map of the Northwest Territories. Point out that 1 cm represents 180 km in distance. Begin by having students point out the locations on the map that the pilot plans to fly. Walk through with the students how to measure the distance on the map that 180 km covers (1 cm). They should use this information to answer #1 to #3.



- **3.** For #4, students need to calculate the distance that the plane can travel in 2 h at a speed of 220 km/h. Have them use this information and a proportion to calculate the distance in cm on the map that the pilot can cover in 2 h. Students might draw a circle with the centre on Sachs Harbour. The radius of the circle is the length in centimetres that represents the distance the pilot can travel in all directions in 2 h. Students should list the communities within the circle.
- **4.** Have students work individually on #1 to #4. Allow them to use a calculator.
- **5.** Clarify that the task is to
 - measure and record the distances between several communities on a map of the Northwest Territories
 - develop and solve proportions that will determine the actual flying distances between several communities

- calculate average cruising speed for a flight from Yellowknife to Inuvik that will take 4.5 h
- list all the communities within a 2-h flight from Sachs Harbour
- **6.** Review the **Master 1 Project Rubric** with students so that they will know what is expected.

Meeting Student Needs

- Consider allowing students to work with a partner.
- You may need to assist students with low math skills by providing the proportions needed for #2.

Gifted and Enrichment

• Challenge students to use a map of a different area of Canada and use the distances between several communities and the speed of a plane to determine the time needed to service a number of communities in the area.

Answers

Life of a Bush Pilot

Answers will vary with different levels of accuracy in measurements.

- **1.** a) 7.8 cm
 - **b)** 2 cm
 - **c)** 6.4 cm
- **2.** Proportions may vary.

a)
$$\frac{1 \text{ cm}}{180 \text{ km}} = \frac{7.8 \text{ cm}}{x \text{ km}}$$
; $x = 1404 \text{ km}$
b) $\frac{1 \text{ cm}}{180 \text{ km}} = \frac{2 \text{ cm}}{x \text{ km}}$; $x = 360 \text{ km}$

c)
$$\frac{1 \text{ cm}}{180 \text{ km}} = \frac{6.4 \text{ cm}}{x \text{ km}}; x = 1152 \text{ km}$$

- **3.** $\frac{1 \text{ cm}}{180 \text{ km}} = \frac{6.9 \text{ cm}}{x \text{ km}}$; x = 1242 kmSpeed = $1242 \div 4.5 = 276 \text{ km/h}$
- 4. 220 km/h × 2 hours = 440 km $\frac{1 \text{ cm}}{180 \text{ km}} = \frac{x \text{ cm}}{440 \text{ km}}; x = 2.4 \text{ cm}$ The following communities are within or equal to 2.4 cm of
 - Sachs Harbour:
 - Ulukhaktok
 - Paulatuk
 - Tuktoyaktuk

This challenge can be used for either Assessment for Learning or Assessment of Learning.

Assessment	Supporting Learning	
Assessment for Learning		
Life of a Bush Pilot Discuss the challenge as a class. Have students provide individual reports.	• Allow students to present their reports either in written form or orally.	
Assessment of Learning		
Life of a Bush Pilot Introduce the challenge to the class. Have students provide individual reports.	 Master 1 Project Rubric provides a holistic descriptor that will assist you in assessing student work on this challenge. Page 92 provides notes on how to use this rubric for the challenge. To view student exemplars, go to www.mathlinks8.ca, access the online Teacher Centre, go to Assessment, and then follow the links. 	

The chart below shows the **Master 1 Project Rubric** for tasks such as the Challenge in Real Life and provides notes that specify how to identify the level of specific answers for this project.

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4 (Above Acceptable)	 Applies/develops thorough strategies and mathematical processes for making reasonable comparisons/connections that demonstrate a clear understanding Procedures are reasonable and may contain a minor mathematical error that may hinder the understanding in one part of a complete solution Uses appropriate mathematical language to explain their understanding and provides clear support for their conclusion 	 provides a complete and correct response to #2, #3, and #4 based on an incorrect #1 <i>or</i> provides a correct and complete response with one calculation error <i>or</i> provides a correct and complete response with weak justification
3 (Meets Acceptable)	 Applies/develops relevant strategies and mathematical processes making some comparisons/ connections that demonstrate a basic understanding Procedures are basic and may contain a major error or omission Uses common language to explain their understanding and provides minimal support for their conclusion 	 provides a correct and complete #1, #2, and #3 or provides a correct and complete #1, #2, and #4 or provides a correct #1 and #2, and a partial response to #3 and #4 or provides answers only with no work shown for #1, #2, #3, and #4
2 (Below Acceptable)	 Applies/develops some relevant mathematical processes making minimal comparisons/ connections that lead to a partial solution Procedures are basic and may contain several major mathematical errors Communication is weak 	 provides a correct #1 and #2 with no proportions shown in #2 or provides a correct and complete #2 for an incorrect #1 or provides a correct and complete #3 or #4
1 (Beginning)	 Applies/develops an initial start that may be partially correct or could have led to a correct solution Communication is weak or absent 	 provides a correct #1 or provides a correct #1 and an initial start to #2, #3, or #4

For student exemplars, go to www.mathlinks8.ca and follow the links.