Math Link: Wrap It Up!



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Suggested Timing

40–50 minutes

TO JOININGLES

Materials

• dice, coins, playing cards, and other materials for creating a game

Blackline Masters

Master 1 Project Rubric BLM 2–1 Chapter 2 Math Link Introduction BLM 2–6 Section 2.1 Math Link BLM 2–8 Section 2.2 Math Link BLM 2–10 Section 2.3 Math Link BLM 2–12 Section 2.4 Math Link BLM 2–14 Chapter 2 Math Link: Wrap It Up!

Specific Outcomes

N3 Demonstrate an understanding of rational numbers by:

- comparing and ordering rational numbers
- solving problems that involve arithmetic operations on rational numbers.
- **N5** Determine the square root of positive rational numbers that are perfect squares.

N6 Determine an approximate square root of positive rational numbers that are non-perfect squares.

Planning Notes

Introduce the problem and clarify the assessment criteria. Review the requirements that the game must include and make sure that students understand them.

Have students consult the Math Links that they have completed throughout the chapter to look for ideas. If you have not already done so, consider having discussions around the ways in which one or more of the earlier games could be modified. Then, encourage students to come up with original ideas.

To provide a focus for students' thinking about the design of their game, you might ask:

- How will players generate positive and negative rational numbers in the game?
- What operations will players perform on the numbers that they generate? (Remind students that they must include at least two of addition, subtraction, multiplication, and division in their game.)
- Will the game include a game board? If so, how will players use it?
- How will players decide the winner of each round of the game?
- How many points will the winner of each round score?
- How will players decide the winner of the game?

Meeting Student Needs

- You may wish to allow students to include only one operation.
- Allow students to orally explain the rules for their game.

Assessment	Supporting Learning
Assessment of Learning	
Math Link: Wrap It Up! This chapter problem wrap-up gives students an opportunity to demonstrate their understanding of operations on rational numbers in decimal form and fraction form. It is important that students create a game that covers the operations and kinds of rational numbers in the chapter, and that their sample calculations demonstrate their ability to perform operations on rational numbers. Master 1 Project Rubric provides a holistic descriptor that will assist you in assessing student work on this Wrap It Up! Page 115 in this TR provides notes on how to use this rubric for the Wrap It Up!	 You may wish to have students review the work they have completed in the Math Links in the introduction and in each section before they begin. If students have not completed the Math Links, you may wish to provide them with BLM 2–1 Chapter 2 Math Link Introduction, BLM 2–6 Section 2.1 Math Link, BLM 2–8 Section 2.2 Math Link, BLM 2–10 Section 2.3 Math Link, and BLM 2–12 Section 2.4 Math Link. You may wish to have students use BLM 2–14 Chapter 2 Math Link: Wrap It Up!, which provides scaffolding for the chapter problem wrap-up.

The chart below shows the **Master 1 Project Rubric** for tasks such as the Wrap It Up! and provides notes that specify how to identify the level of specific answers for the project.

Score/Level	Holistic Descriptor	Specific Question Notes
5 (Standard of Excellence)	 Applies/develops thorough strategies and mathematical processes making significant comparisons/connections that demonstrate a comprehensive understanding of how to develop a complete solution Procedures are efficient and effective and may contain a minor mathematical error that does not affect understanding Uses significant mathematical language to explain their understanding and provides in-depth support for their conclusion 	• provides a complete and correct solution
4 (Above Acceptable)	 Applies/develops thorough strategies and mathematical processes for making reasonable comparisons/connections that demonstrate a clear understanding Procedures are reasonable and may contain a minor mathematical error that may hinder the understanding in one part of a complete solution Uses appropriate mathematical language to explain their understanding and provides clear support for their conclusion 	 Demonstrates one of the following: provides a complete response to all parts of the problem, with one algebraic error provides a complete and correct response with weak communication provides a complete and correct response to all parts of the problem, based on only positive or negative rational numbers but not both
3 (Meets Acceptable)	 Applies/develops relevant strategies and mathematical processes making some comparisons/ connections that demonstrate a basic understanding Procedures are basic and may contain a major error or omission Uses common language to explain their understanding and provides minimal support for their conclusion 	 Demonstrates one of the following: provides correct and complete solutions to parts a) and b), with calculations that may contain an algebraic error, but both positive and negative rational numbers are represented provides partial correct solutions to parts a) to d); results of playing the game need not be present but some indication that it has happened must be
2 (Below Acceptable)	 Applies/develops some relevant mathematical processes making minimal comparisons/ connections that lead to a partial solution Procedures are basic and may contain several major mathematical errors Communication is weak 	• correctly completes calculations for one or two operations, focusing on only positive or negative rational numbers but not both; rules are present but communication may be weak
1 (Beginning)	 Applies/develops an initial start that may be partially correct or could have led to a correct solution Communication is weak or absent 	 Demonstrates one of the following: shows or describes a calculation but lacks further information, resulting in a weak connection to a game shows calculations, but minimal understanding, and errors, are present