

Chapter 2 Problems of the Week

<p>1. What are some fractions that are useful for telling time from a clock with hands? Make a table that shows at least five fractions and their minute form.</p>	<p>2. In the past, calculators could not find square roots. Teachers would give questions that involved triangles with side lengths of:</p> <ul style="list-style-type: none">• 3, 4, and 5• 1, 2, and $\sqrt{3}$• 1, 1, and $\sqrt{2}$ <p>Why are these triangles special in terms of square roots? Explain why teachers would use them.</p>
<p>3. A gold bar has a mass of $1\frac{1}{3}$ kg.</p> <p>You wish to cut off exactly $\frac{1}{2}$ kg.</p> <p>What fraction of the bar should you cut off? Hint: What ratio expresses the relationship?</p>	<p>4. A chessboard is square and made up of 64 squares. Consider only the first three rows of the chessboard.</p> <p>a) Find the diagonals of all squares and rectangles possible in the first three rows. Arrange the squares and rectangles, from least to greatest, by length of their diagonals.</p> <p>b) Consider the entire chessboard. When would you expect the squares or rectangles to give whole number diagonals?</p>