# 6.1

### Strand

Quadratic Relations of the Form  $y = ax^2 + bx + c$ 

#### Student Text Pages 238–244

### Suggested Timing

80 min

#### Tools

• grid paper

### **Related Resources**

BLM 6.1.1 Practice: Explore Non-Linear Relations BLM A3 Communication General Scoring Rubric BLM G1 Grid Paper

## **Explore Non-Linear Relations**

### Specific Expectations

### Identifying Characteristics of Quadratic Relations

In this section, students will

**QR2.03** identify the key features of a graph of a parabola (i.e., the equation of the axis of symmetry, the coordinates of the vertex, the *y*-intercept, the zeros, and the maximum or minimum value), using a given graph or a graph generated with technology from its equation, and use the appropriate terminology to describe the features

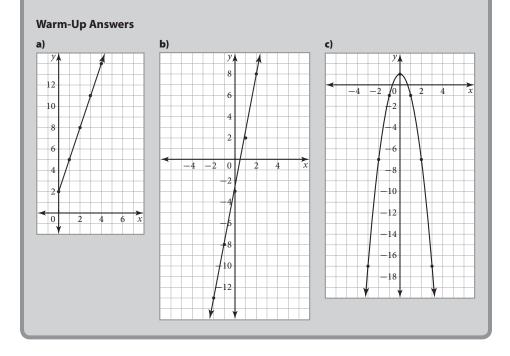
### **Link to Get Ready**

The Investigate requires students to plot ordered pairs. Have students complete questions 2 and 3 of the Get Ready before proceeding with Section 6.1.

### Warm-Up

Plot the ordered pairs in each set on a coordinate grid, then draw the line or curve of best fit.

- **a)** (4, 14), (3, 11), (2, 8), (1, 5), (0, 2)
- **b**) (-2, -13), (-1, -8), (0, -3), (1, 2), (2, 8)
- **c)** (-3, -17), (-2, -7), (-1, -1), (0, 1), (3, -17), (2, -7), (1, -1)



### **Common Errors**

- Some students may draw a V-shape when connecting the points.
- $R_x$  Point out the picture in the section opener as well as other curved shapes indicating that this shape models the data best.

### **Ongoing Assessment**

- Consider using Apply the Concepts question 2 as a class discussion, and assess students' communication skills. You may wish to use BLM A3
  Communication General Scoring Rubric to assist you in assessing your students.
- While students are working on the Investigate, circulate to see how well they work. This may be an opportunity to begin observing and recording the individual student's learning skills.

#### Accommodations

**Gifted and Enrichment**—Have students identify the relation in question 7 as an exponential relation. Ask them to explore how the relation changes as the base of the power changes.

### Teaching Suggestions

### Warm-Up

• Write the Warm-Up questions on the board or on an overhead. Have students complete the questions independently, then discuss the solutions as a class. (5–10 min) Review with students how to draw the rectangles and the coordinate grid. Students may try to draw two straight lines in the form of an inverted V for part c). Take some time to show them that drawing a smooth curve works best.

### **Section Opener**

• The Section Opener shows a structure that is parabolic in shape. You may wish to have students brainstorm other manufactured or naturally occurring structures that have similar shapes before proceeding with the Investigate.

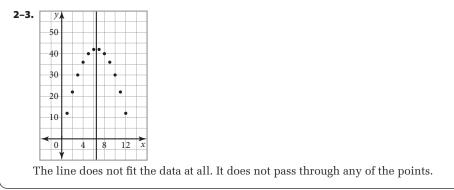
### Investigate

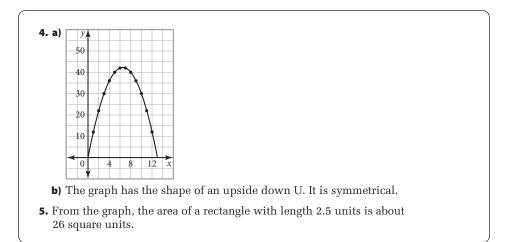
- Have students read the Key Terms before proceeding with the Investigate.
- You may wish to use **BLM G1 Grid Paper** for this activity.
- Follow the Investigate with a discussion about the shape of the graph.
- Use **BLM 6.1.1 Practice: Explore Non-Linear Relations** for extra practice or remediation.

### Investigate Answers (page 238)

1. Students should draw a rectangle with each set of dimensions.

Length (units)	Width (units)	Area (square units)
1	12	12
2	11	22
3	10	30
4	9	36
5	8	40
6	7	42
7	6	42
8	5	40
9	4	36
10	3	30
11	2	22
12	1	12





### **Examples**

• For Example 2, you may need to review the properties of isosceles triangles and right isosceles triangles. In this case, the length of the hypotenuse is not needed.

### **Key Concepts**

• Ask what is meant by "non-linear." Have students give an example of other non-linear graphs (circle).

### **Discuss the Concepts**

• For D1 and D2, ensure students understand the differences between the graphs and tables of values of a linear relation and of a quadratic relation.

### Discuss the Concepts Suggested Answers (page 240)

- **D1.** The graph of a linear relation is always a straight line. The graph of a quadratic relation is not a straight line. It is a symmetrical, U-shaped curve.
- **D2.** For both tables, the *x*-values increase by ones from 0 to 8. In part a), the *y*-values increase by 2 each time. In part b), the *y*-values decrease and then increase.

### Practise the Concepts (A)

- Encourage students to refer back to the Examples before asking for assistance.
- For question 1, you may wish to use **BLM G1 Grid Paper**.

### Apply the Concepts (B)

• For question 5, some students may need to complete the table to 15 rows to answer part d). Encourage students to identify patterns

 $[P = 2B + 2, A = \frac{1}{2}(B)(B + 1)]$  and use the patterns to answer part d).

- For question 7, the relation is neither linear nor quadratic. It is an exponential function,  $y = 2^x$ .
- For question 8, depending on their choice of horizontal and vertical scales, some students may need to estimate the answer to part d).

### **Extend the Concepts (C)**

- Assign the Extend the Concepts questions to students who are not being challenged by questions in Apply the Concepts.
- Extend the Concepts questions can be used as a diagnostic assessment for those students considering a university-level course in grade 11.
- For question 9, parts a) to e) should be manageable for all students. Parts f) and g) can be used to help distinguish level 3 and 4 students.
- Ensure that students read the MathConnect before proceeding with the question.